



Jet Propulsion Laboratory
California Institute of Technology

Searching for dark matter with atomic clocks in space

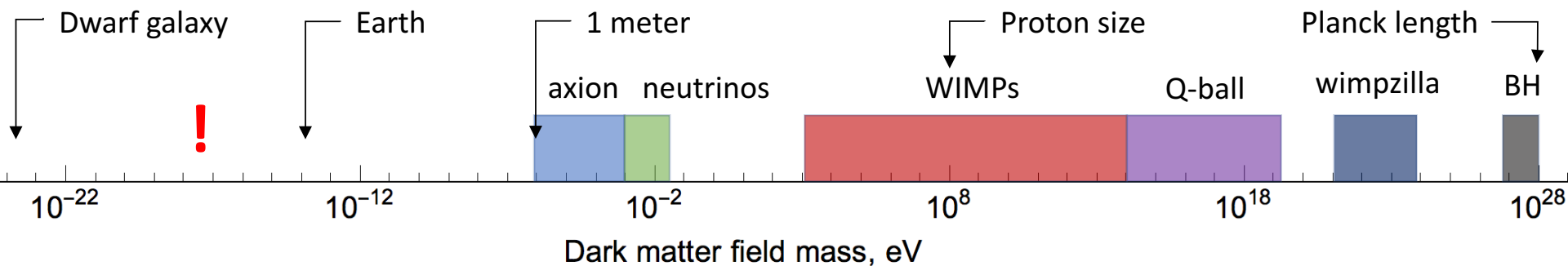
Tigran Kalaydzhyan

arXiv:1705.05833

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Motivation

- No direct detection of the dark matter to date, while having an overwhelming amount of indirect observations. Importance: 27% of energy content of the Universe, 85% of the mass content.
- Vast range of unexplored masses (about 80%) of the total span 10^{-24} eV - 10^{28} eV. WIMPs are typically tested above GeV and axions above μeV scale.
- Light bosons predicted by nearly every new theory beyond the Standard Model.
- Specifically for the clock stability studies: able to show high-frequency signals and make easier to identify different types of noise.



Brief theory (dark matter)

Action of the theory and interaction Lagrangian:

$$S = \int d^4x \sqrt{-g} \left\{ \frac{R}{16\pi G} + \frac{1}{2} g_{\mu\nu} \partial^\mu \phi \partial^\nu \phi - V(\phi) + \mathcal{L}_{SM} + \mathcal{L}_{int}^{(n)} \right\},$$
$$\mathcal{L}_{int}^{(n)} = \phi^n \left[\frac{1}{4e^2 \Lambda_{\gamma,n}^n} F_{\mu\nu} F^{\mu\nu} - \frac{\beta_{YM}}{2g_{YM} \Lambda_{g,n}^n} G_{\mu\nu} G^{\mu\nu} - \sum_{f=e,u,d} \left(\frac{1}{\Lambda_{f,n}^n} + \frac{\gamma_{m_f}}{\Lambda_{g,n}^n} \right) m_f \bar{\psi}_f \psi_f \right]$$

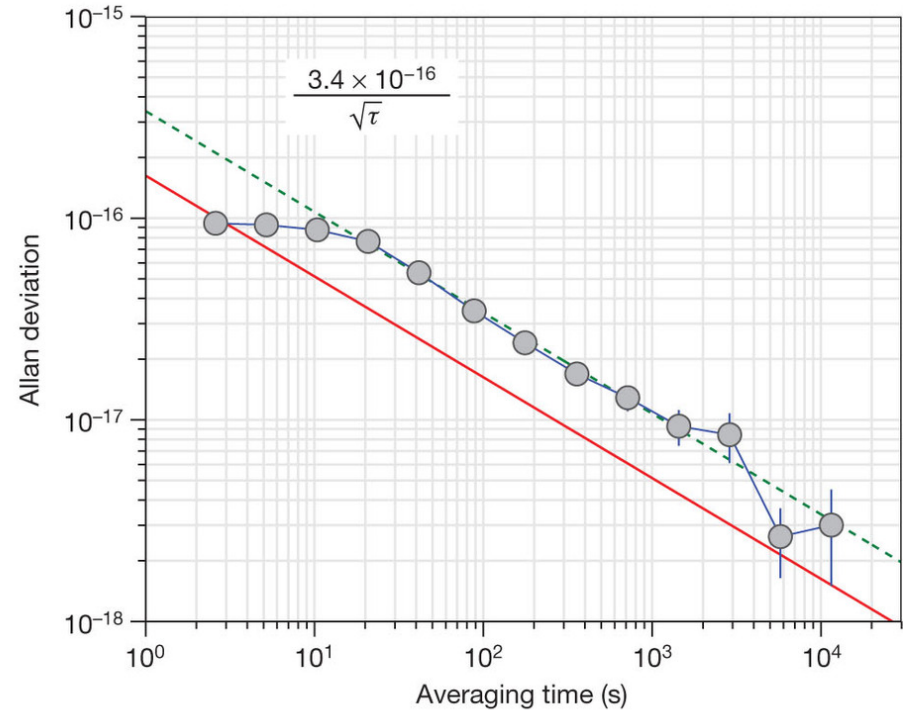
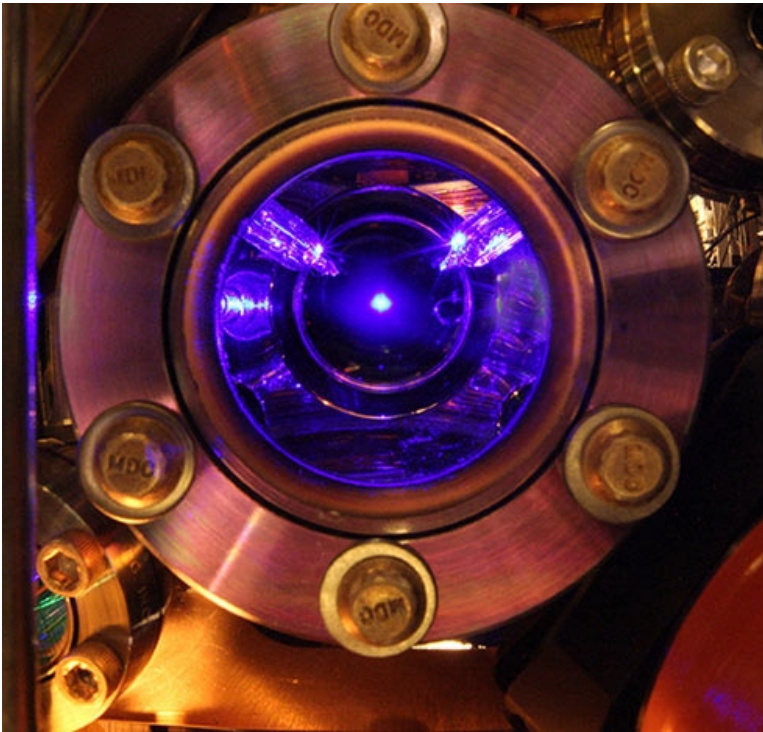
Presence of dark matter can induce a change in the fundamental constants:

$$\frac{\delta\alpha}{\alpha} = \left(\frac{\phi}{\Lambda_{\gamma,n}} \right)^n, \quad \frac{\delta m_f}{m_f} = \left(\frac{\phi}{\Lambda_{f,n}} \right)^n, \quad \frac{\delta \Lambda_{QCD}}{\Lambda_{QCD}} = \left(\frac{\phi}{\Lambda_{g,n}} \right)^n,$$

Clock response is due to the change in the atomic transition frequency:

$$\nu = \text{const} \cdot R_\infty \cdot \alpha^{K_\alpha} \left(\frac{m_q}{\Lambda_{QCD}} \right)^{K_{q\Lambda}} \left(\frac{m_e}{\Lambda_{QCD}} \right)^{K_{e\Lambda}}$$

Example of an atomic clock (^{87}Sr @ JILA)



Source: “An optical lattice clock with accuracy and stability at the 10^{-18} level”,
B. J. Bloom et al., Nature 506, 71–75 (2014)

Brief theory (clocks)

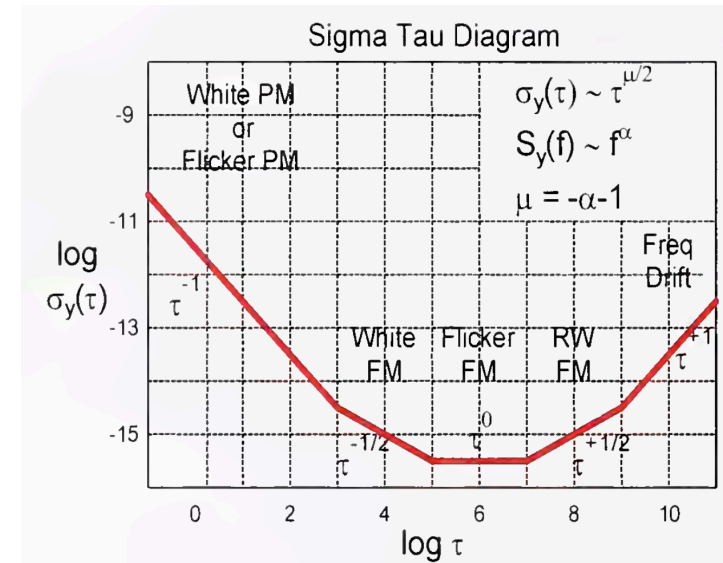
Average fractional frequency deviation:

$$\bar{y}(t) = \frac{1}{\tau} \int_{t-\tau}^t y(t') dt' \quad \leftarrow \quad y(t) = dx(t)/dt, \quad x(t) = \frac{\varphi_1(t)}{2\pi\nu_1} - \frac{\varphi_2(t)}{2\pi\nu_2}$$

Allan variance (continuous version):

$$\sigma_y^2(\tau) = \frac{1}{2} \lim_{T \rightarrow \infty} \frac{1}{T} \int_0^T [\bar{y}(t + \tau) - \bar{y}(t)]^2 dt$$

Regime of our interest: $\sigma_y(\tau) = \sigma_0 / \sqrt{\tau}$



W.J. Riley,
 "Handbook of frequency stability analysis"

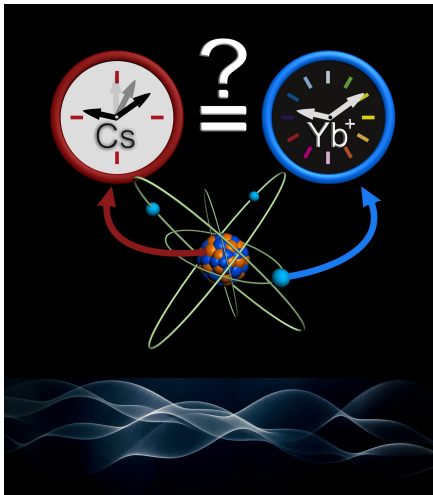
Species	^{133}Cs	$^{199}\text{Hg}^+$	^{199}Hg	$^{27}\text{Al}^+$	^{87}Sr	^{162}Dy	^{164}Dy	^{229}Th
States	hyperfine	$5d^9 6s^2 \ ^2D_{5/2}$	$6s 6p \ ^3P_0$	$3s 3p \ ^3P_0$	$5s 5p \ ^3P_0$	$4f^9 5d^2 6s$	$4f^{10} 5d 6s$	nuclear
	hyperfine	$5d^{10} 6s \ ^2S_{1/2}$	$6s^2 \ ^1S_0$	$3s^2 \ ^1S_0$	$5s^2 \ ^1S_0$	$4f^{10} 5d 6s$	$4f^9 5d^2 6s$	nuclear
K_α	2.83	-3.19	0.81	0.008	0.06	8.5×10^6	-2.6×10^6	$10^4(?)$
$\sigma_0(10^{-16}\text{Hz}^{-1/2})$	10^3	28	1.8	28	3.1	4×10^7	1×10^8	$10(?)$

General idea of the measurement

Compare two clocks assuming either of the two dark matter configurations: dark matter waves or topological defects.

1. Waves with frequency

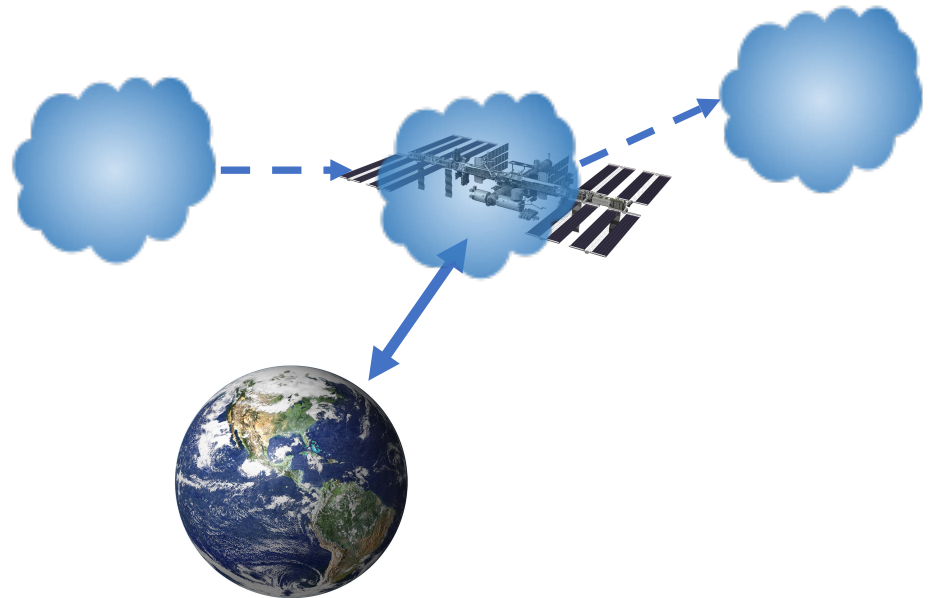
$$f = m_\phi / (2\pi)$$



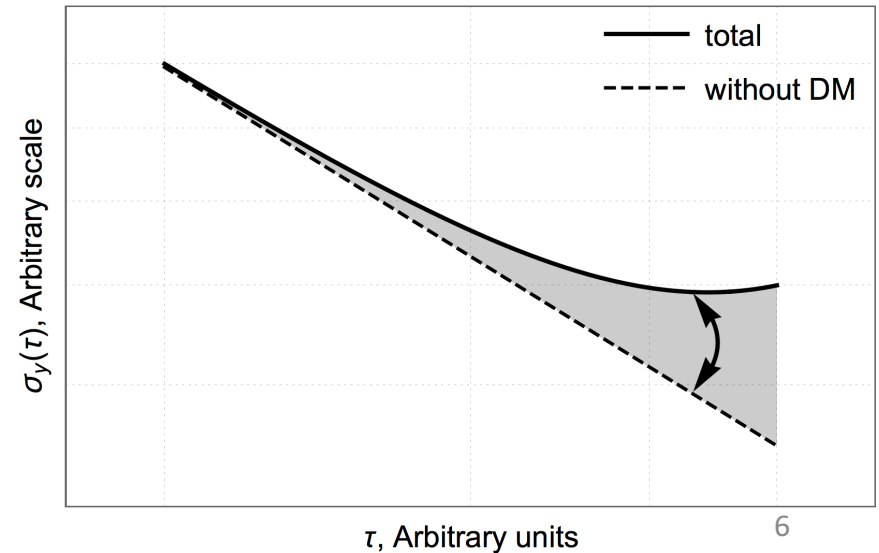
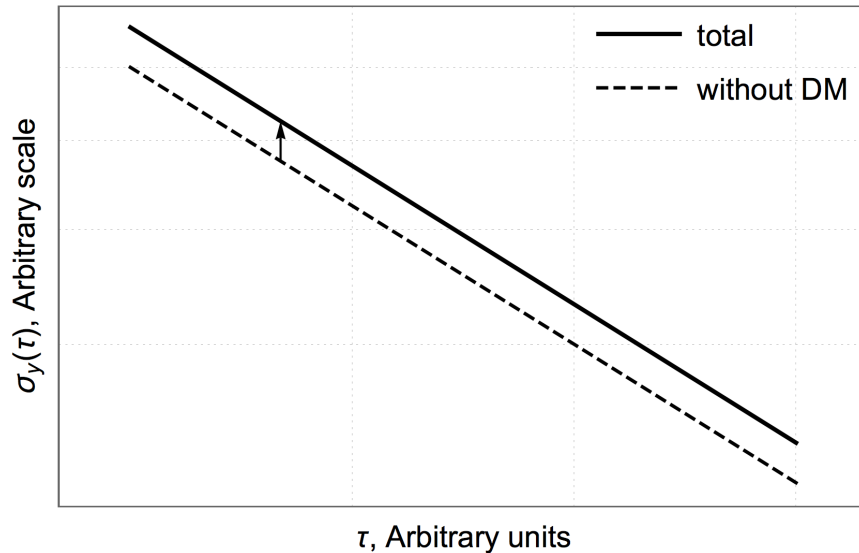
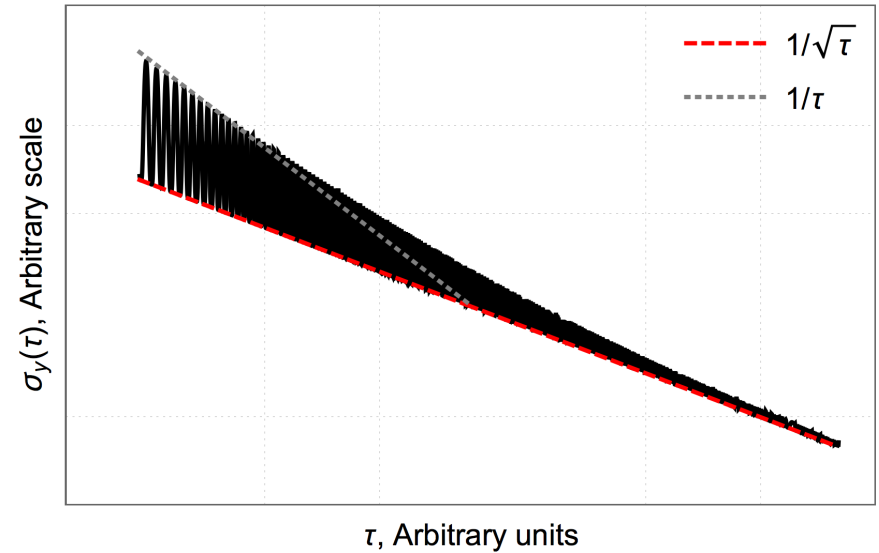
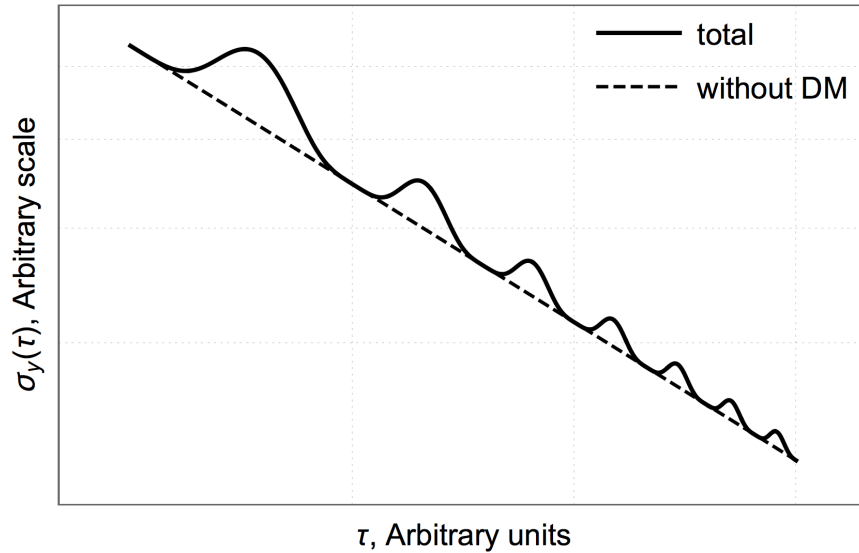
Images: Phys.org,
<http://danielpalacios.info>

2. Clumps of dark matter of size

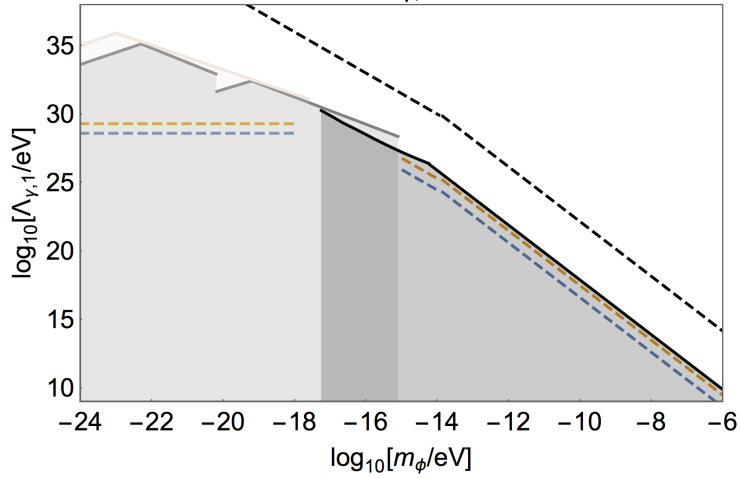
$$d \sim \hbar / (m_\phi c)$$



Anomalies in the stability plots



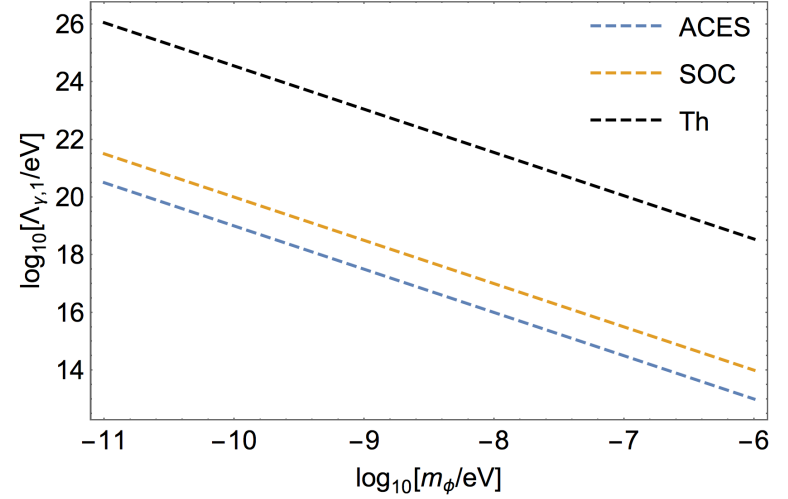
Existing limits and projected sensitivities for $\Lambda_{Y,1}$ (scalar waves)



- ACES
- SOC
- Th
- Al⁺/Hg⁺
- Dy
- Cs/Rb

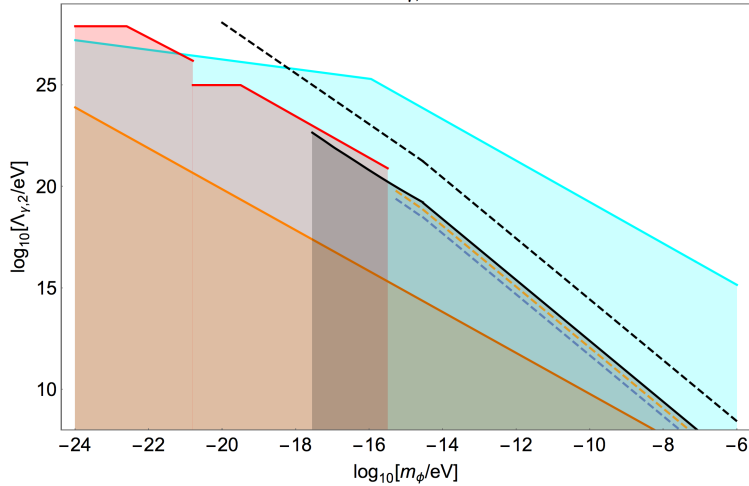
$n = 1$:

Projected sensitivities for $\Lambda_{Y,1}$ (topological defects)



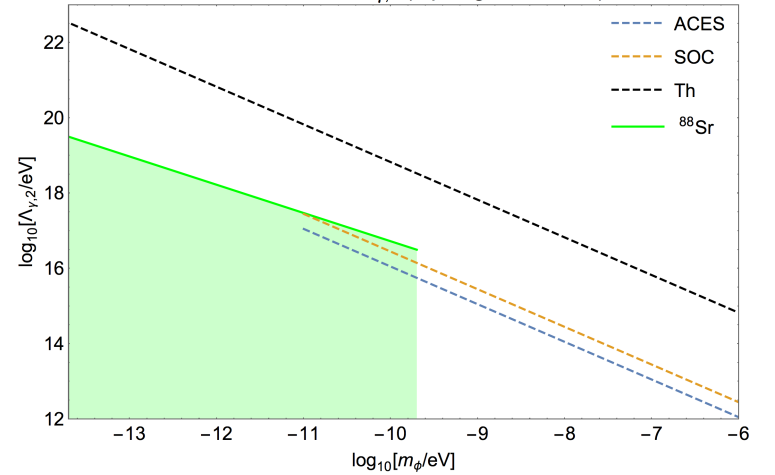
$n = 2$:

Existing limits and projected sensitivities for $\Lambda_{Y,2}$ (scalar waves)

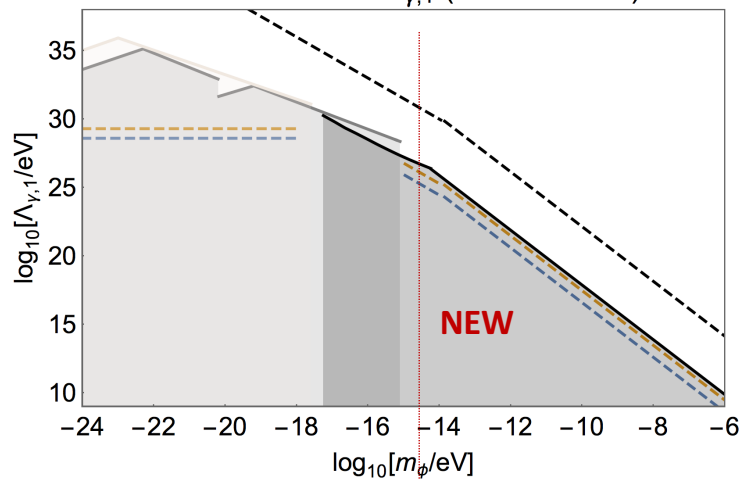


- ACES
- SOC
- Th
- Al⁺/Hg⁺
- Dy
- BBN
- CMB

Existing limits and projected sensitivities for $\Lambda_{Y,2}$ (topological defects)



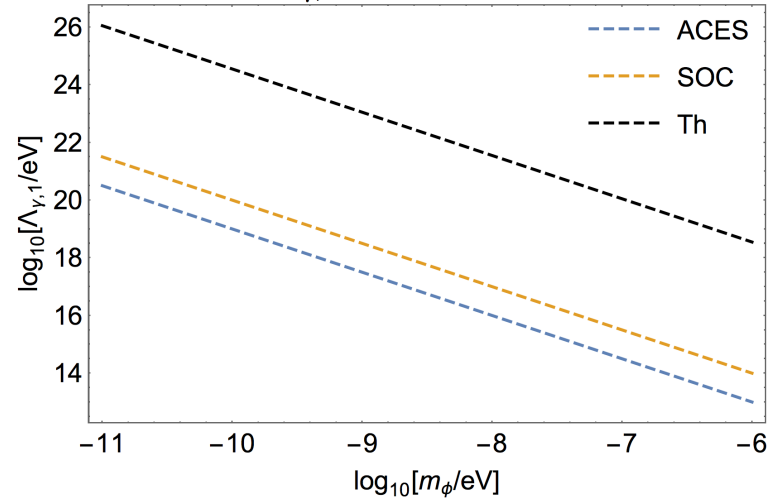
Existing limits and projected sensitivities for $\Lambda_{Y,1}$ (scalar waves)



1Hz

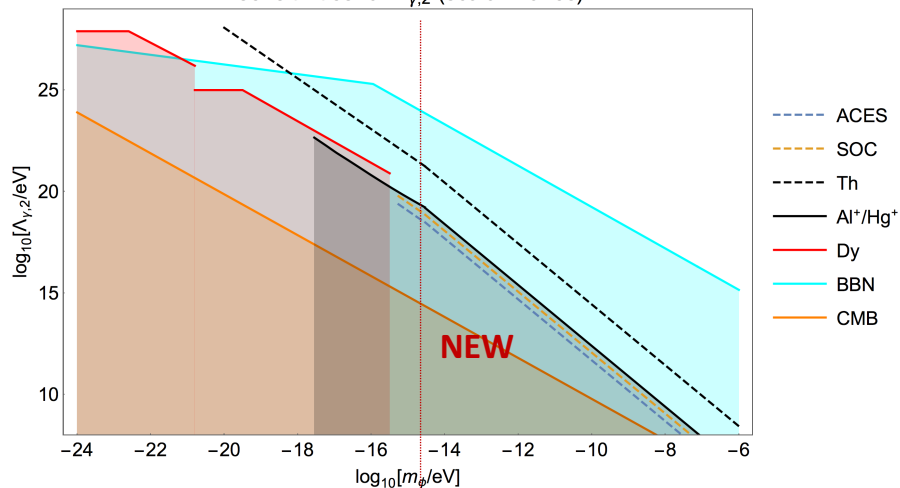
$n = 1$:

Projected sensitivities for $\Lambda_{Y,1}$ (topological defects)



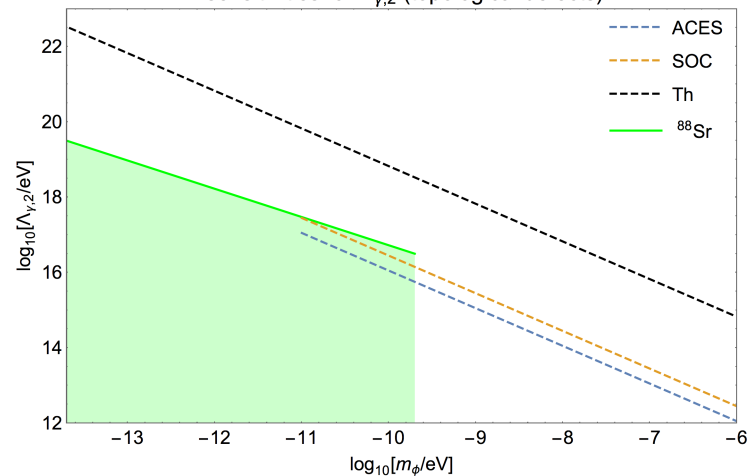
$n = 2$:

Existing limits and projected sensitivities for $\Lambda_{Y,2}$ (scalar waves)



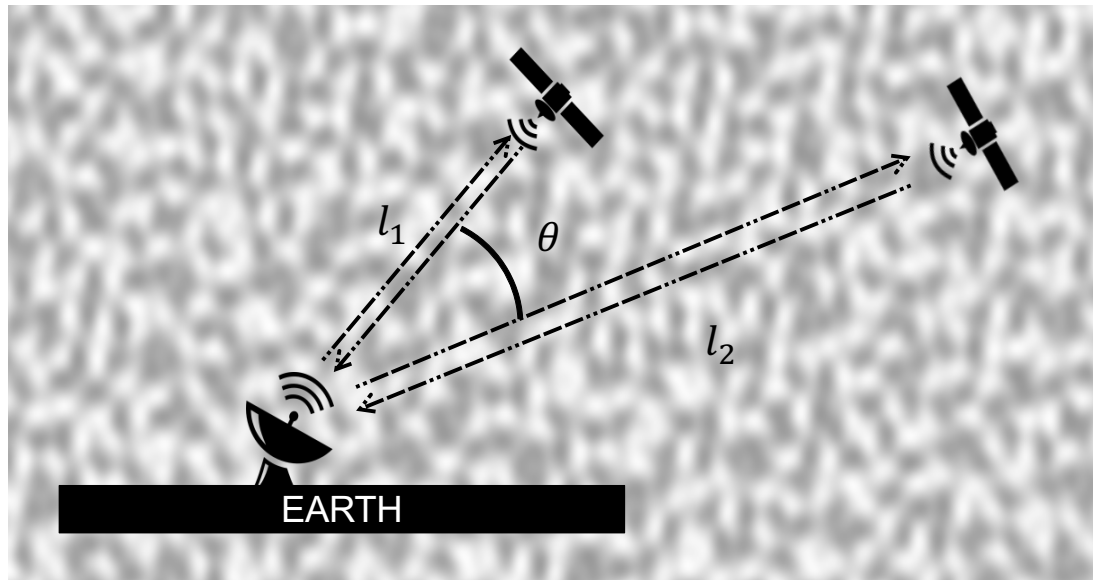
1Hz

Existing limits and projected sensitivities for $\Lambda_{Y,2}$ (topological defects)



Further directions

- Comparing mechanical clocks allows to test larger DM masses (Bohr radius scales with α)
- One can study stochastic backgrounds of various fields (including DM waves) by cross-correlating noises from different atomic sensors: atomic clocks (scalar DM), atom interferometers (vector DM).



Conclusions

- Comparison of ultra-stable atomic clocks provides an opportunity for direct tests of light dark matter.
- Time domain analysis opens access to a new region of parameter space for the DM masses and couplings.
- Existing data for Hg^+/Al^+ comparison puts new limits on the DM coupling in the DM wave background.
- Networks of atomic sensors can be used for the search of the stochastic backgrounds of new fields.

This work has been done under supervision of Dr. Nan Yu within the science study of the ACES collaboration project. We are grateful to Slava Turyshev, Eric Burt, Jason Williams, Dmitry Duev and Andrei Derevianko for useful comments and suggestions.